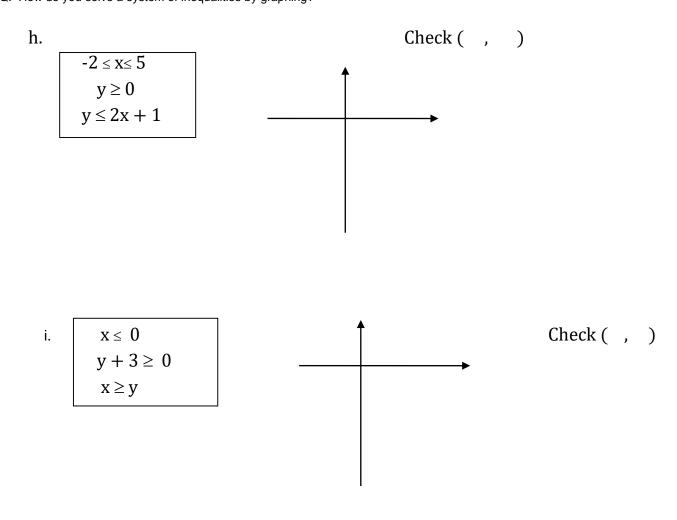


e.

 $y \ge x$ $y \le x$ $y \le |x+5| - 2$ f. $y \ge -2x + 4$ $y \le |x - 4|$ g. $y \ge 3$ y > -|x+2| + 5



Short Summary#1:

EX 2 - FINDING MAXIMUM AND MINIMUMVertex Theorem:The maximum or minimum value off(x, y) = ax + by + con a polygonal convex set occurs at a vertex of the polygonal boundary.Find the maximum and minimum value for each function with the given vertices.a. f(x, y) = 4x + 2y

A(0, 0), B(0, -4), C(3, -5), & D(8, 0)

J(1, 0), K(1, 9), L(6, -2), & M(8, 5)

c. f(x, y) = 4y + 7x - 1R(-2, -1), S(-2, 0), T(-1, 10), U(3, 1) & V(7, 10)

EX.3 – Finding the Minimum and Maximum for a Polygonal Covex Set.

Find the maximum and minimum values for the polygonal convex set, defined by the system of inequalities.

a. f(x, y) = 4x - 3y + 7 $x \ge 0$ $y \ge 1$ $x + y \le 4$

b. f(x, y) = -2x + y + 5 $2 \le y \le 8$ $x \ge 1$ $2x + y \le 14$ $y \ge 5 - x$

c. f(x,y) = -2x + y + 5 $0 \le x \le 8$ $y \ge -1$ $y \le 0.5x + 1$

EX.4 - APPLICATION

1. An entrance exam has two parts, a verbal part and a mathematics part. You can score a maximum total of 1600 points. For admission, the school of your choice requires a math score of at least 600. Write a system of inequalities to model scores that meet the school's requirements. Then solve the system.

2. Another school requires a math score of at least 550 points and a total score of at least 1100 points. You can score up to 800 points on each part. Write and solve a system of inequalities to model scores that meet the school's requirements.

3. Jenna spends at most 150 minutes a night on math and science homework. She spends at least 60 minutes on math. Write and solve a system of inequalities to model how she allots her time for these two subjects.

Short Summary #2: